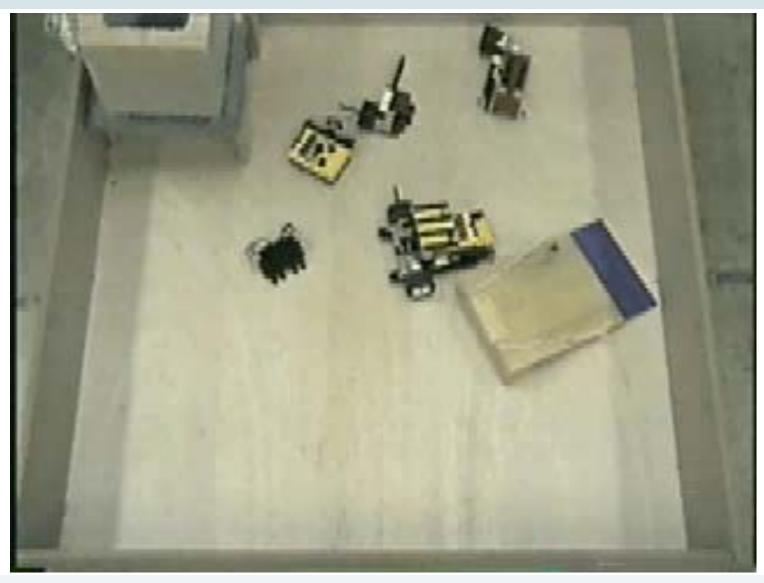
Robotic Self-Replication in Structured and Adaptable Environments

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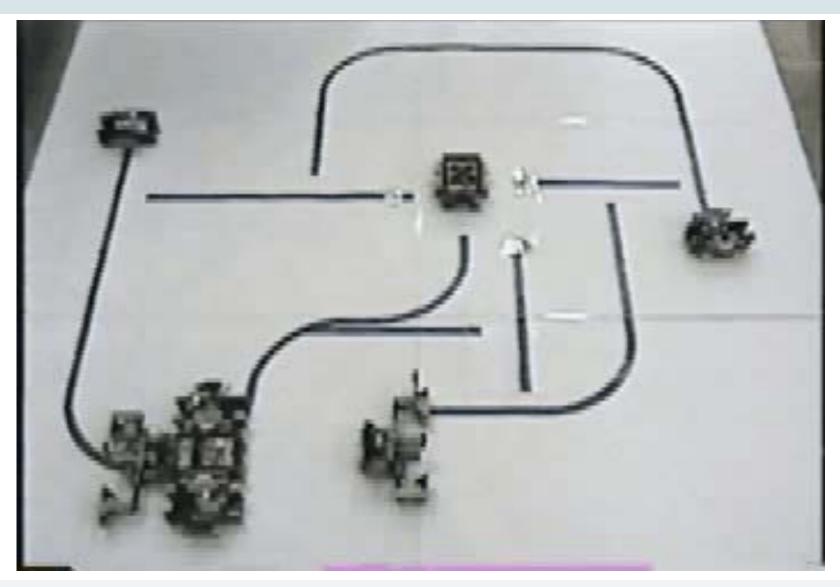
Contents

- Our First Self-Replicating Robots in Structured Environments
- Self-Replicating Robots in Semi-Structured Environments
- Self-Assembling Computers
- Self-Replicating Robots with Discrete Electronics
- Self-Replicating Robots that Structure Their Environment
- Future Directions
 - Develop Principles of Robotic Entropy/Disorder
 - Robotic Self-Replication by Mitosis

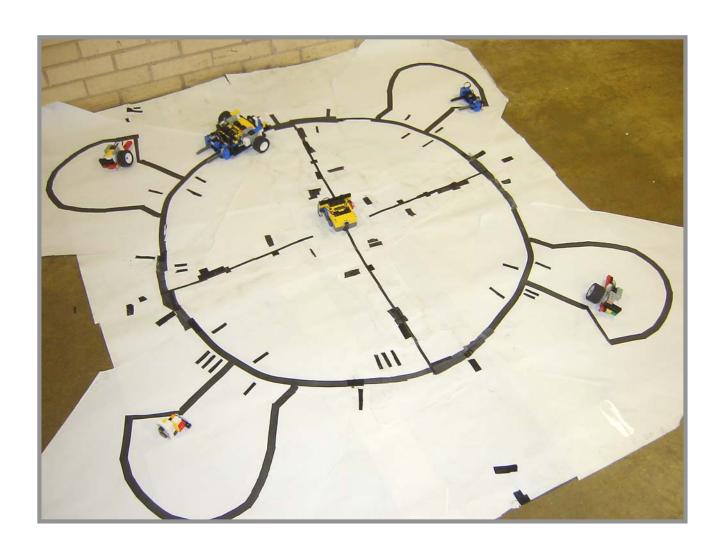
A Remote Controlled Design



A Fully Autonomous SRR



Robotic Self-Repair in a Semi-Structured Environment



Robotic Self-Repair in a Semi-Structured Environment



Computers that Copy Themselves

To make computers from logic elements using a von Neumann Universal Constructor would require a very complicated code.

An alternative is Laing's paradigm of self-replication by self-inspection. We developed three prototypes to demonstrate this idea physically for the first time.

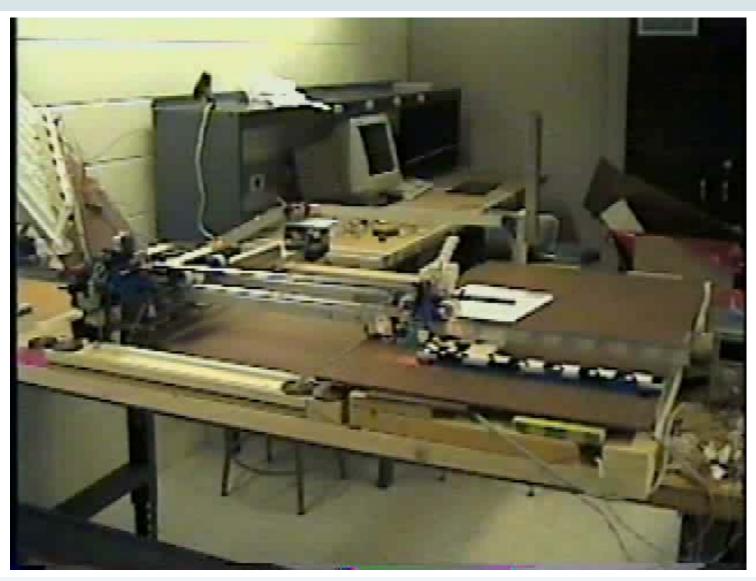
Self-Replication by Self-Inspection 1



Self-Replication by Self-Inspection 2



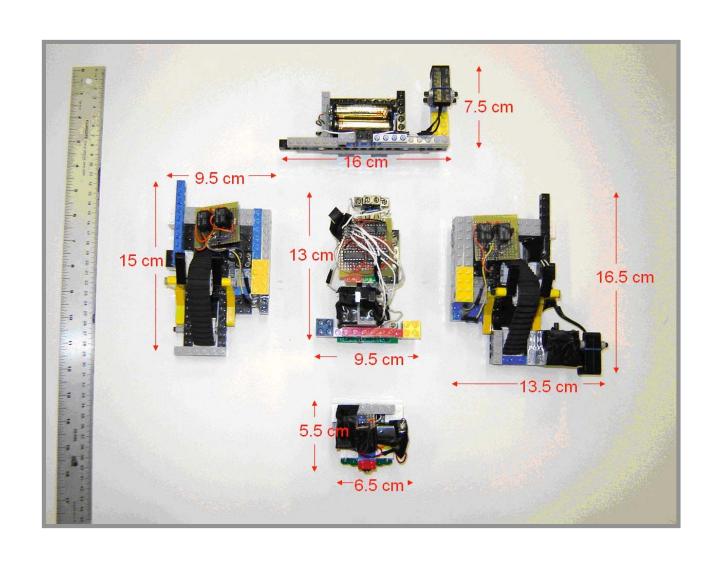
Self-Replication by Self-Inspection 3



Combining Previous Concepts:

Self-Replicating Robots with Distributed Computing Elements

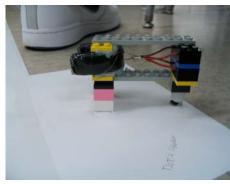
SRR with Distributed Circuits

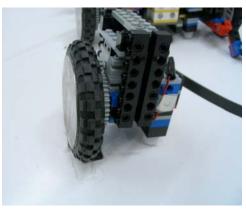


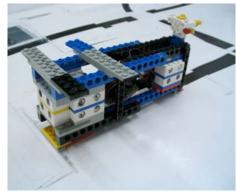
SRR with Distributed Circuits



SRR in Adaptable Environment



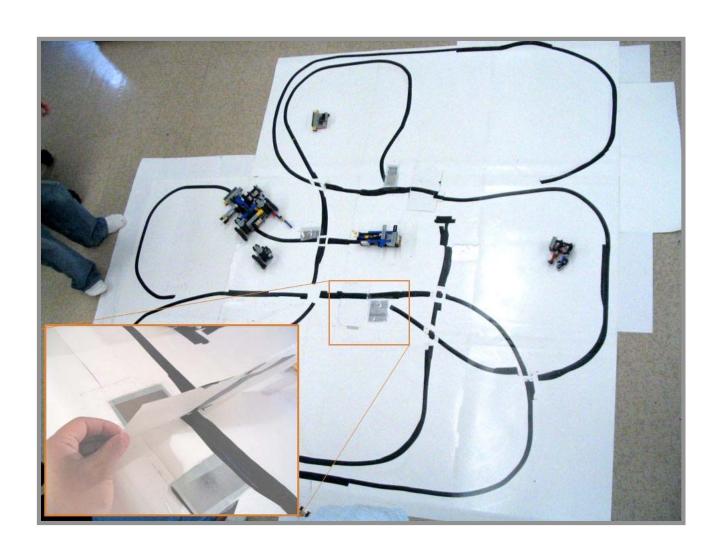








SRR in Adaptable Environment



Remainder of the Talk

- Principles of Robotic Self-Replication (RSR)
 - Universality, High Relative Complexity, Robustness, and Efficiency
 - Entropy/Information

Principles

Universality

- What can it become?
- What can it produce?
- What functions can it perform?

High Relative Complexity

Complexity of the Robot vs. Complexity of the Individual Parts

Robustness

Error tolerance in sensing and manipulation

Efficiency

– How efficiently can it reproduce?

Entropy

Entropy is:

- A potential useful tool to describe the sophistication of tasks in robotic self-replication;
- A measure useful when the environment can be defined by any element of an ensemble of different configurations;
- A property of the collection of all environmental objects over all of their possible arrangements.

Entropy

Discrete Entropy:
$$H_x = -\sum_{\mathbf{x}_i} f(\mathbf{x}_i) \log f(\mathbf{x}_i)$$

Continuous Entropy:
$$S_x = -\int_{\mathbf{x}} f_x(\mathbf{x}) \log f_x(\mathbf{x}) d\mathbf{x}$$

Covariance:
$$\Sigma = \int_{\mathbf{x}} (\mathbf{x} - \langle \mathbf{x} \rangle) (\mathbf{x} - \langle \mathbf{x} \rangle)^T f(\mathbf{x}) d\mathbf{x}$$

Upper Bound of Continuous Entropy:
$$S_x \leq \log\{(2\pi e)^{n/2} |\Sigma|^{1/2}\}$$

Pose Entropy

Full pose entropy of a collection of rigid bodies:

$$S_g = -\int_G \cdots \int_G f'(g_1, g_2, \cdots, g_n) \log f'(g_1, g_2, \cdots, g_n) dg_1 \cdots dg_n$$

Assuming that each body can move independently:

$$f(g_1, \dots, g_n) = \prod_{i=1}^n f_i(g_i)$$

An estimated overlap of rigid bodies *i* and *j*:

$$w_{ij}(g_i, g_j) = \int_{\mathbb{R}^3} d_i'(g_i^{-1} \circ \mathbf{x}) d_j'(g_j^{-1} \circ \mathbf{x}) d\mathbf{x}$$

$$w_{ij}(g_i, g_j) = w_{ij}(e, g_i^{-1} \circ g_j) = w_{ij}(g_j^{-1} \circ g_i, e)$$

Then we have,

$$f'(g_1,\dots,g_n) = Cf(g_1,\dots,g_n) \prod_{i< j}^n (1-W_{ij}(g_i^{-1}\circ g_j))$$

Future: A Self-Replicating Lunar Factory System



Selected References

Suthakorn, J., Andrew B. Cushing, and Chirikjian, G.S. "An Autonomous Self-Replicating Robotic System," Proceedings of the 2003 IEEE/ASME International Conference on Advanced Intelligent Mechatronics, 2003

Chirikjian, Zhou, Y. and G.S, Suthakorn, "Self-Replicating Robots for Lunar Development," ASME & IEEE Transactions on Mechatronics Vol. 7, Issue: 4, Dec 2002.

For more:

http://custer.me.jhu.edu/publication/self_replicating.html