Deep Learning for Vision & Language

Computer Vision I: Convolutional Neural Networks

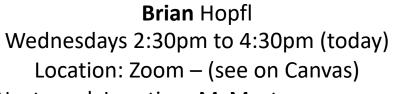


About the class

- COMP 646: Deep Learning for Vision and Language
- Instructor: Vicente Ordóñez (Vicente Ordóñez Román)
- Website: https://www.cs.rice.edu/~vo9/deep-vislang
- Location: Zoom Rice Canvas has the links OR Duncan Hall 1070
- Times: Mondays, Wednesdays, and Fridays from 1pm to 1:50pm Central Time
- Office Hours: Fridays 2 to 3pm
- Teaching Assistants: Brian Hoepfl, Liuba Orlov Savko
- Discussion Forum: Rice Canvas

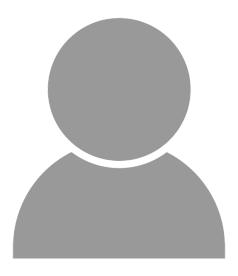
TAs and Office Hours





Next week Location: McMurtry commons

Contact email: beh3@rice.edu



Liuba Orlov Savko Fridays 4pm to 5pm

Location: Sid's Place (2nd Floor Duncan near fridge)

Contact email: lo13@rice.edu

Today

- What is Computer Vision?
- Why is it hard?
- Image Processing
- Common Tasks in Computer Vision
- The Convolutional Operator: Filtering
- Convolutional Neural Networks

What is Computer Vision?



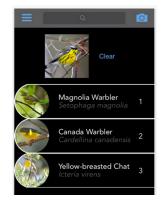
- What objects are in this image?
- Where are the objects in the image?
- How far was the camera from the building?
- How big is the building?





Create an algorithm to distinguish dogs from cats

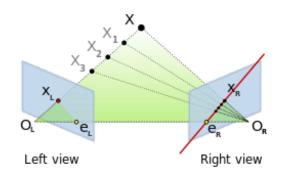


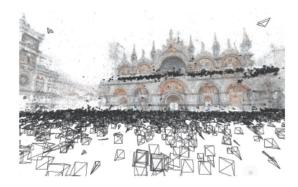


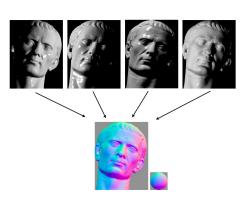
Face Detection in Cameras











Human Vision / Human Brain

Machine Learning

Deep Learning

Computer Vision

Optics / Cameras

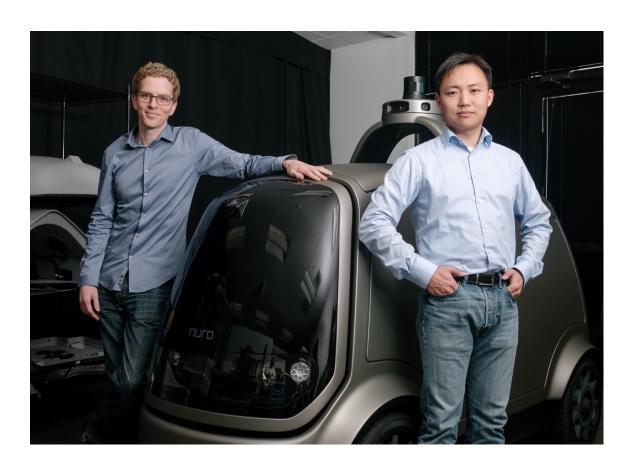
Geometry

Robotics

- Facebook Oculus VR, Image Search, Image tagging, Content filtering, Instagram, etc.
- Google/Alphabet Waymo, DeepMind, Image Search, Google Earth/Maps, Street View, etc.
- Adobe Photoshop, Premiere, Lightroom, etc.
- Snap Inc Snapchat, Smart Goggles, Filters, Face Detection,
 Style Transfer, etc.
- eBay Inc Product Search, Product Matching, Content Filtering, Duplicate Removal, etc.
- Amazon Warehouse robotics, Smart Stores, Product Search.
- IBM Image Retrieval, Medical Applications, Product Quality.
- Microsoft Hololens, Optical Character Recognition (OCR), Face Detection, Cloud Services.
- Apple Face Verification, Enhanced cameras and chips for image processing.

Who is using Computer Vision?

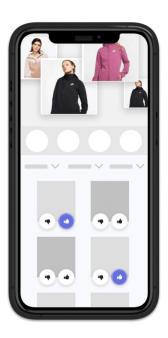
Nuro – Self Driving Car Company



Who is using Computer Vision?

Skafos.ai -- Startup – 2016 to Present.
 Visual Search for e-commerce businesses.

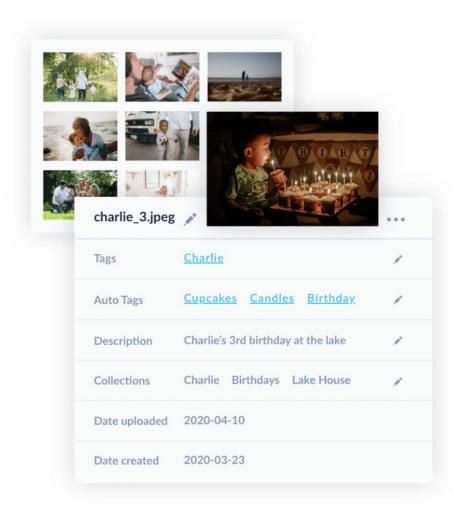




Who is using Computer Vision?

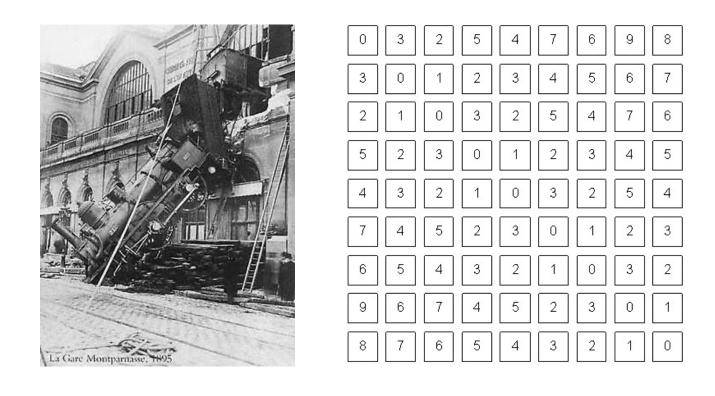
Starchive.io – Auto-tagging





Images

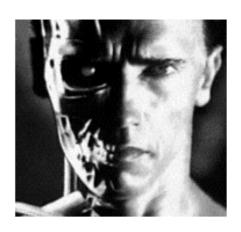
• Can be viewed as a matrix with pixel values

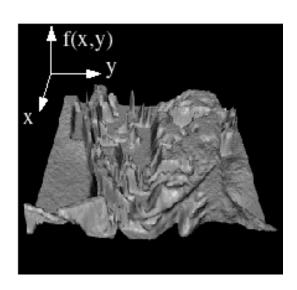


Images

• Or as a function in a 2D domain

$$z = f(x, y)$$





Color Images

Can be viewed as tensors (3-dimensional arrays)



0 3 2 5 4 7 6 9 8
3 0 1 2 3 4 5 6 7
4 3 2 1 0 3 2 5 4
7 4 5 2 3 0 1 2 3
4 5 6 5 4 3 2 1 0 3 2
9 6 7 4 5 2 3 0 1
8 7 6 5 4 3 2 1 0

sizeof(T) = 3 x height x width

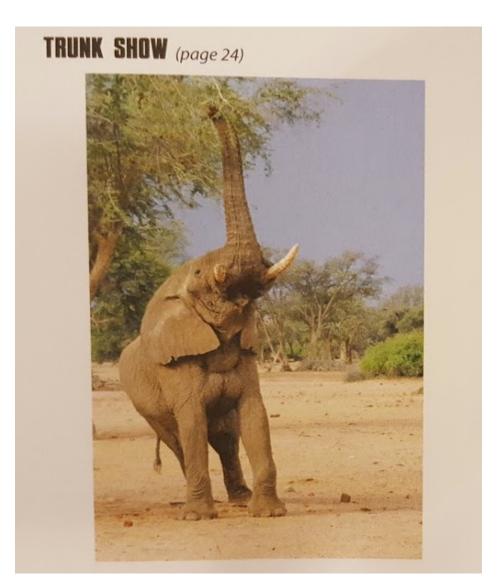
T =

Channels are usually RGB: Red, Green, and Blue

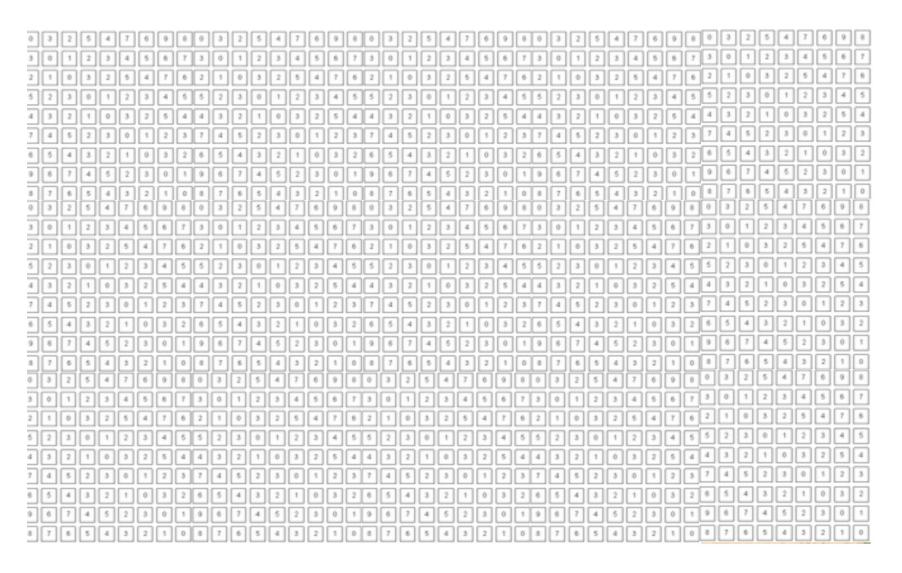
Other color spaces: HSV, HSL, LUV, XYZ, Lab, CMYK, etc

Why is it hard?

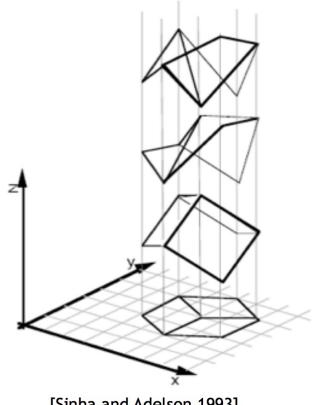




This is just as hard for computers



Ambiguities due to viewpoints



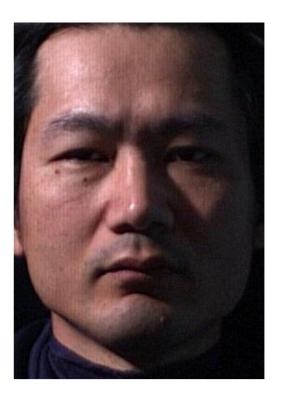
[Sinha and Adelson 1993]

Ambiguities due to viewpoints



Issues with Illumination





slide credit: S. Ullman

Background clutter

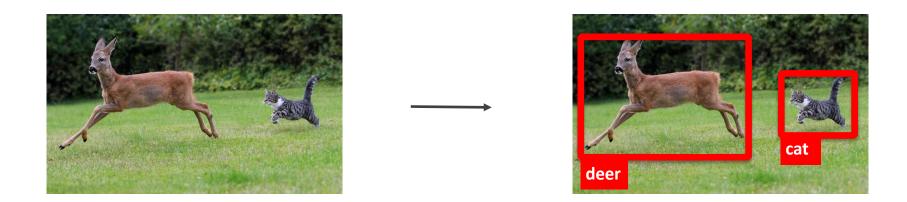


Intra-class variation



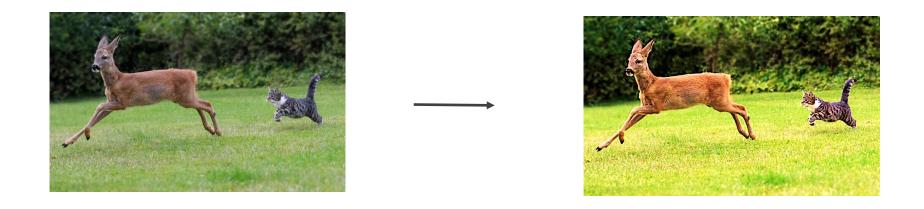
Computer Vision vs Image Processing

Computer Vision: Image — Knowledge

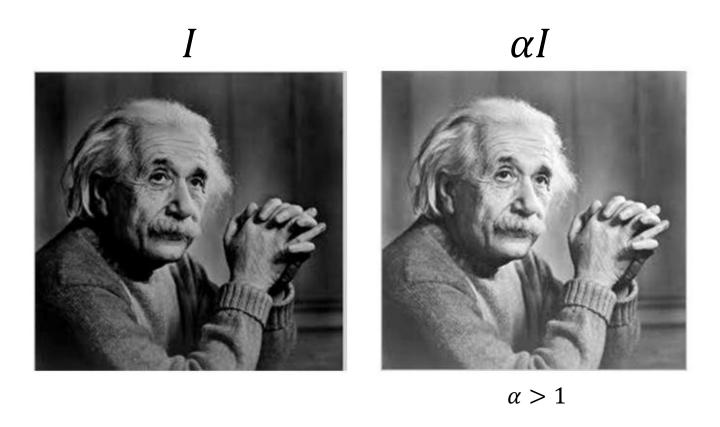


Computer Vision vs Image Processing

• Image Processing: Image — Image

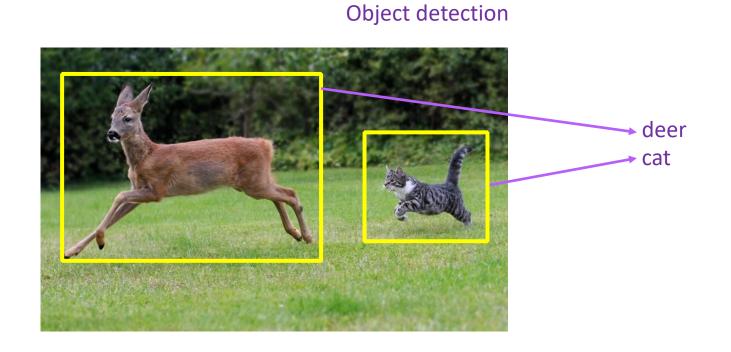


Basic Image Processing

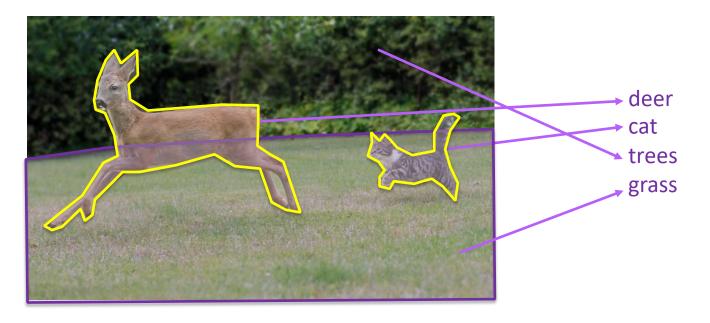


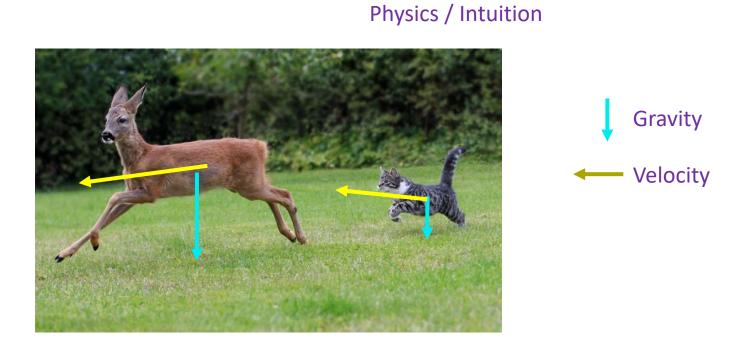
Primer on Image Processing: https://bit.ly/3lGEdwv





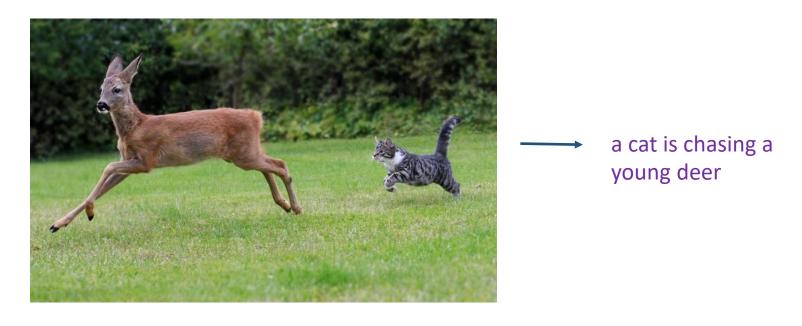
Semantic segmentation





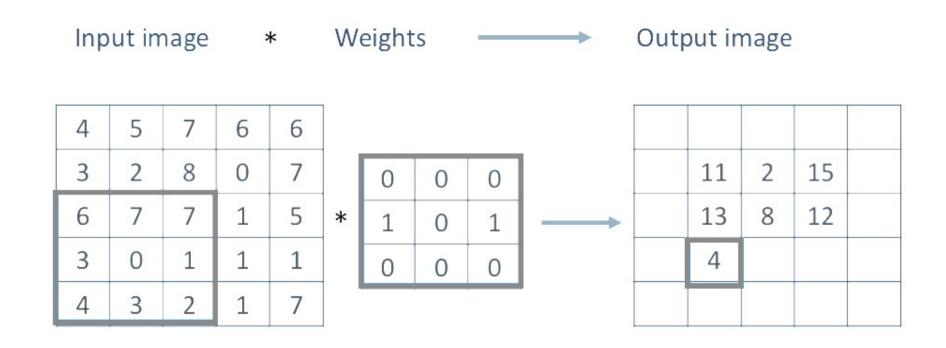
This class -> Vision and Language Tasks!





Most important operation for Computer Vision

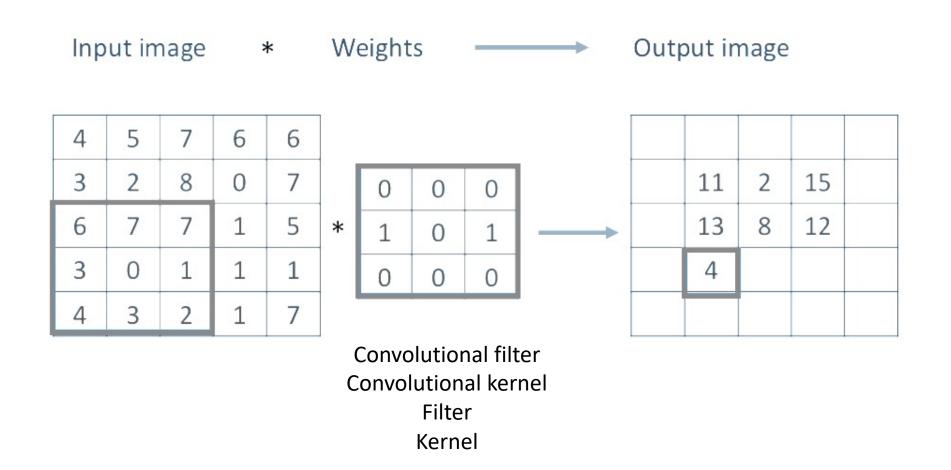
The Convolution Operation



http://www.cs.virginia.edu/~vicente/recognition/animation.gif

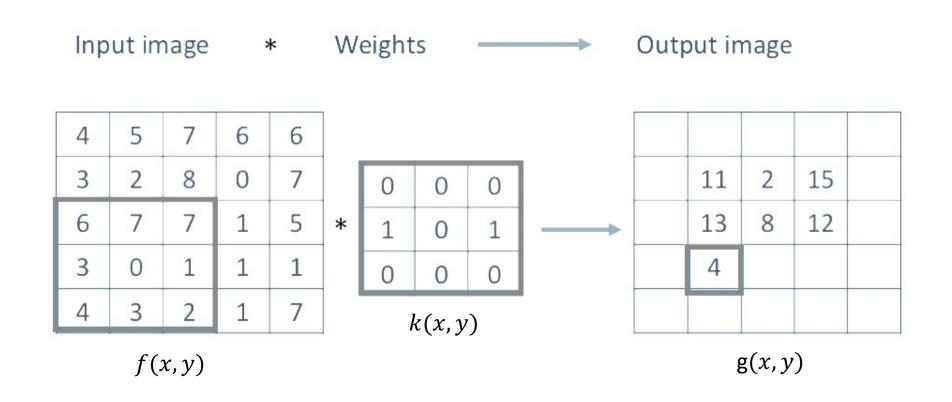
Most important operation for Computer Vision

The Convolution Operation



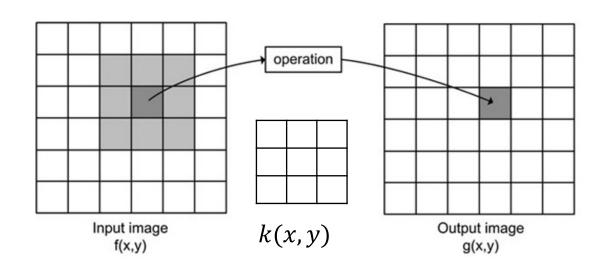
Most important operation for Computer Vision

The Convolution Operation



$$g(x,y) = \sum_{v} \sum_{u} k(u,v) f(x - u, y - v)$$

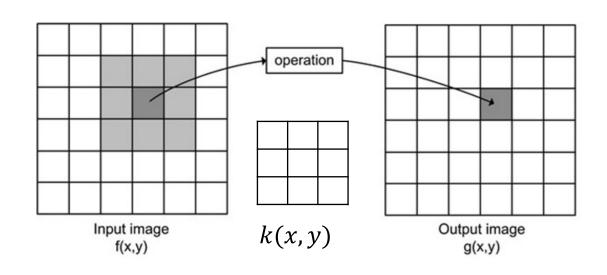
Image filtering: Convolution operator e.g. mean filter



$$k(x,y) =$$

1/9	1/9	1/9
1/9	1/9	1/9
1/9	1/9	1/9

Image filtering: Convolution operator e.g. mean filter



$$k(x,y) =$$

1/9	1/9	1/9
1/9	1/9	1/9
1/9	1/9	1/9

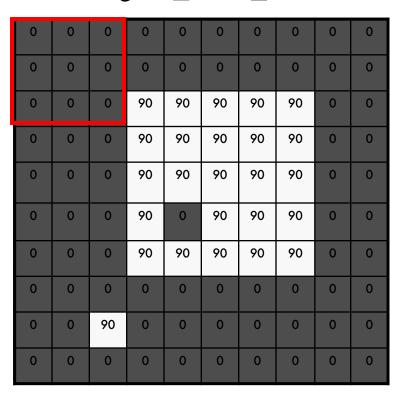
Example: box filter

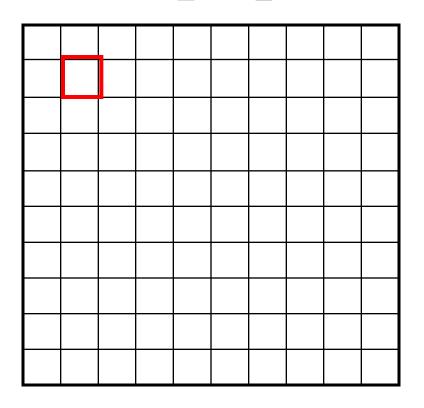
$$g[\cdot\,,\cdot\,]$$

$$\frac{1}{9}\begin{bmatrix} 1 & 1 & 1 \\ 1 & 1 & 1 \\ 1 & 1 & 1 \end{bmatrix}$$

Image filtering

$$g[\cdot,\cdot]^{\frac{1}{9}}$$

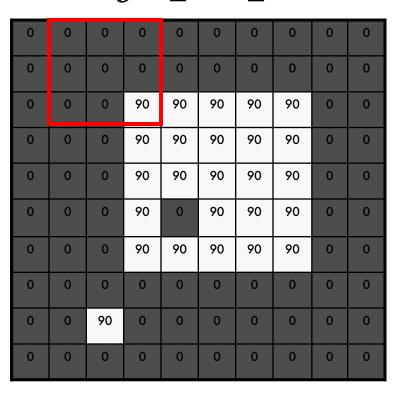


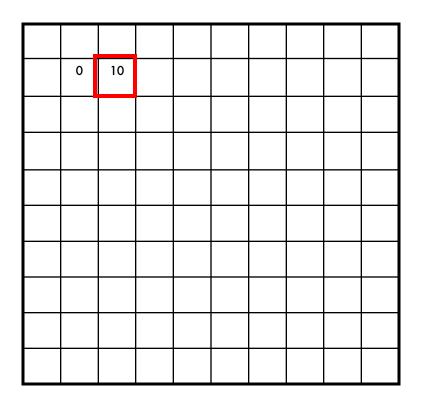


$$h[m,n] = \sum_{k,l} g[k,l] f[m+k,n+l]$$

Credit: S. Seitz

$$g[\cdot,\cdot]^{\frac{1}{9}}$$

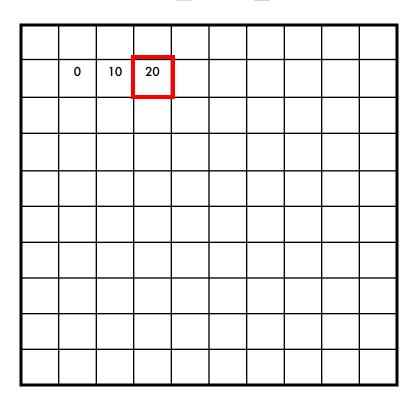




$$h[m,n] = \sum_{k,l} g[k,l] f[m+k,n+l]$$

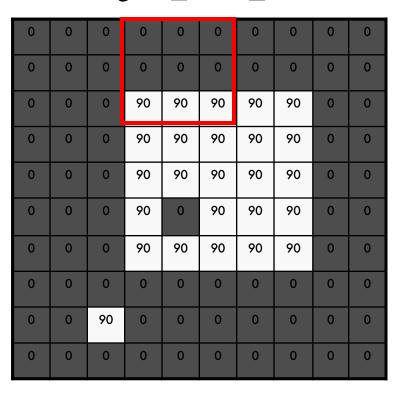
$$g[\cdot,\cdot]^{\frac{1}{9}}$$

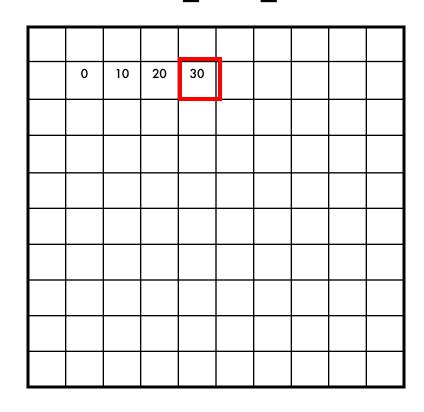
0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	90	0	90	90	90	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	0	0	0	0	0	0	0
0	0	90	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0



$$h[m,n] = \sum_{k,l} g[k,l] f[m+k,n+l]$$

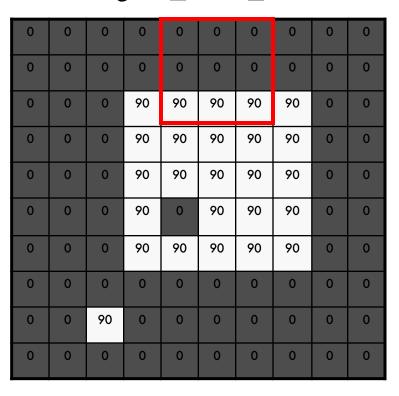
$$g[\cdot,\cdot]^{\frac{1}{9}}$$

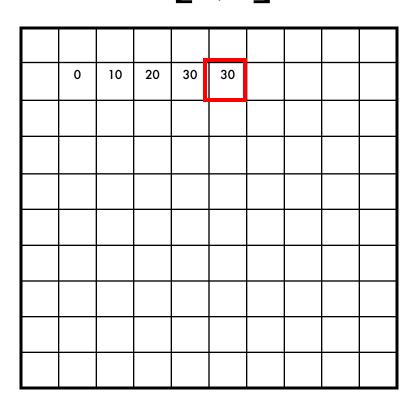




$$h[m,n] = \sum_{k,l} g[k,l] f[m+k,n+l]$$

$$g[\cdot,\cdot]^{\frac{1}{9}}$$

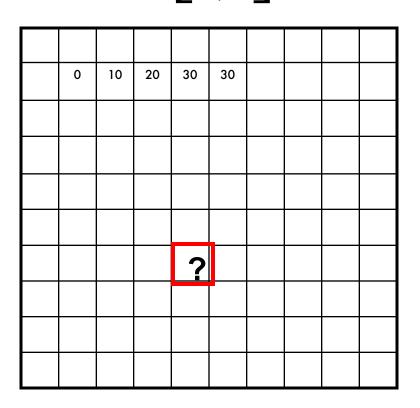




$$h[m,n] = \sum_{k,l} g[k,l] f[m+k,n+l]$$

$$g[\cdot,\cdot]^{\frac{1}{9}}$$

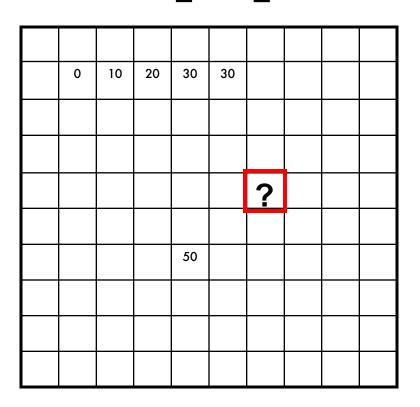
0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	90	0	90	90	90	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	0	0	0	0	0	0	0
0	0	90	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0



$$h[m,n] = \sum_{k,l} g[k,l] f[m+k,n+l]$$

$$g[\cdot,\cdot]^{\frac{1}{9}}$$

0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	90	0	90	90	90	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	0	0	0	0	0	0	0
0	0	90	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0



$$h[m,n] = \sum_{k,l} g[k,l] f[m+k,n+l]$$

$$g[\cdot,\cdot]_{\frac{1}{9}}^{\frac{1}{11}}_{\frac{1}{11}}^{\frac{1}{11}}$$

0	10	20	30	30	30	20	10	
0	20	40	60	60	60	40	20	
0	30	60	90	90	90	60	30	
0	30	50	80	80	90	60	30	
0	30	50	80	80	90	60	30	
0	20	30	50	50	60	40	20	
10	20	30	30	30	30	20	10	
10	10	10	0	0	0	0	0	

$$h[m,n] = \sum_{k,l} g[k,l] f[m+k,n+l]$$

Box Filter

What does it do?

- Replaces each pixel with an average of its neighborhood
- Achieve smoothing effect (remove sharp features)

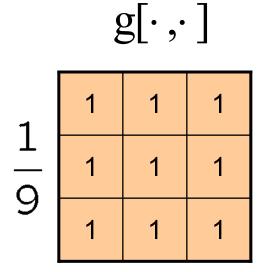


Image filtering: e.g. Mean Filter

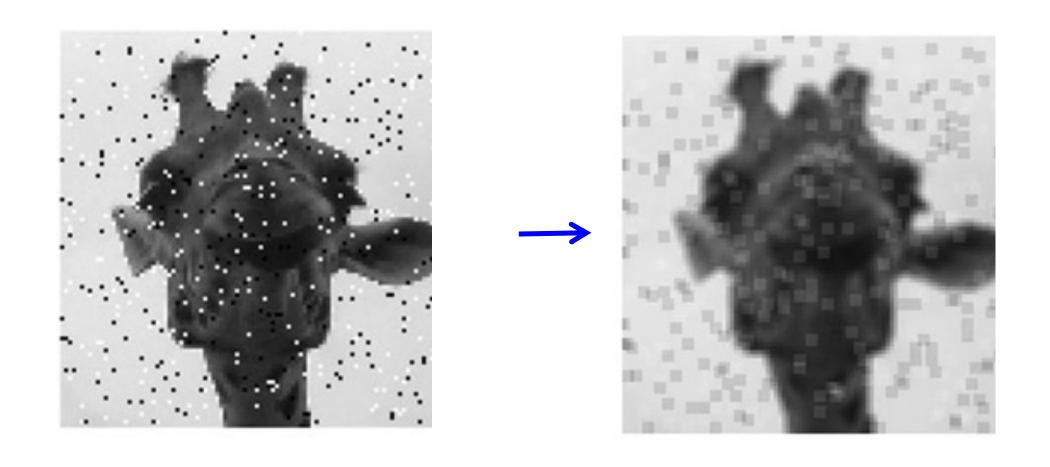
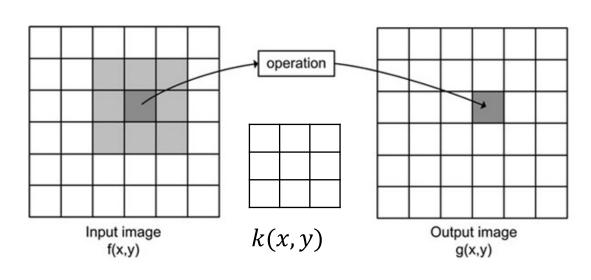
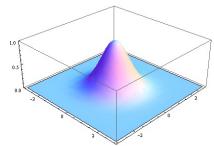


Image filtering: Convolution operator Important filter: gaussian filter (gaussian blur)



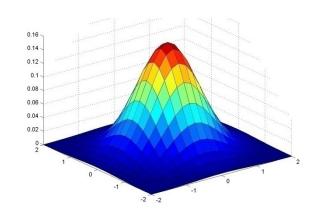
$$k(x,y) =$$

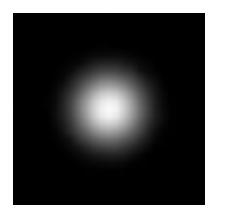


1/16	1/8	1/16
1/8	1/4	1/8
1/16	1/8	1/16

Important filter: Gaussian

• Weight contributions of neighboring pixels by nearness





0.003	0.013	0.022	0.013	0.003
0.013	0.059	0.097	0.059	0.013
0.022	0.097	0.159	0.097	0.022
0.013	0.059	0.097	0.059	0.013
0.003	0.013	0.022	0.013	0.003

$$5 \times 5$$
, $\sigma = 1$

$$G_{\sigma} = \frac{1}{2\pi\sigma^2} e^{-\frac{(x^2+y^2)}{2\sigma^2}}$$

Image filtering: Convolution operator e.g. gaussian filter (gaussian blur)





Practical matters

- What about near the edge?
 - the filter window falls off the edge of the image
 - need to extrapolate
 - methods:
 - clip filter (black)
 - wrap around
 - copy edge
 - reflect across edge

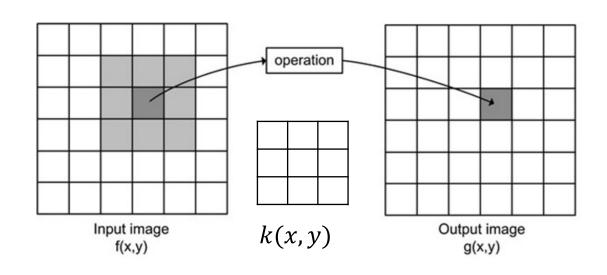


Source: S. Marschner

Convolution: Useful Operator for Image Processing

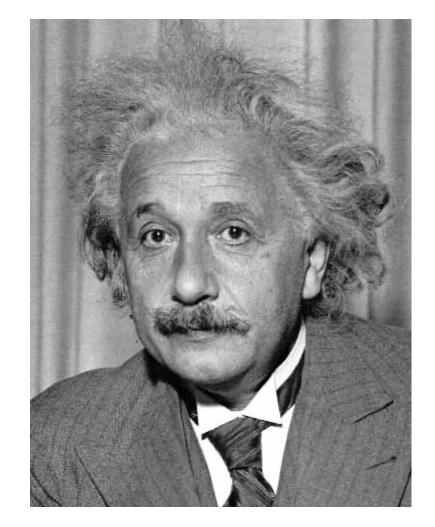
- Not all image filtering region neighborhood operators can be expressed as convolutions.
- They also can be used to extract information about edges and shapes
 .e.g. for image recognition
- Convolutional operations are at the basis of convolutional neural networks.

Image filtering: Convolution operator Important Filter: Sobel operator



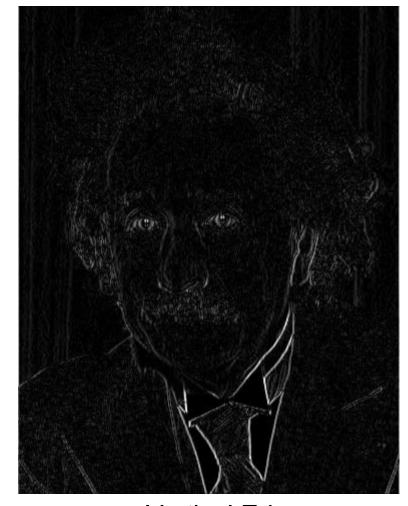
$$k(x,y) = \begin{array}{c|cccc} & 1 & 0 & -1 \\ & 2 & 0 & -2 \\ & 1 & 0 & -1 \end{array}$$

Other filters



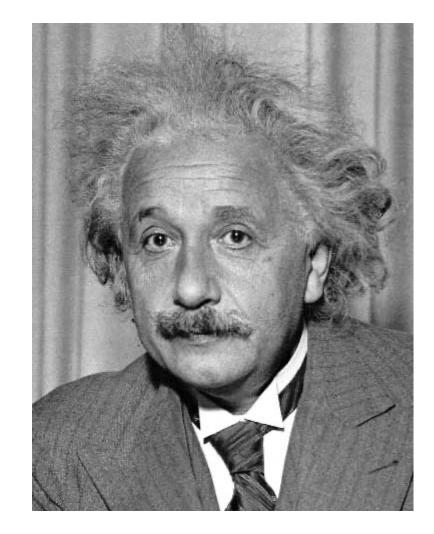
1	0	-1
2	0	-2
1	0	-1

Sobel



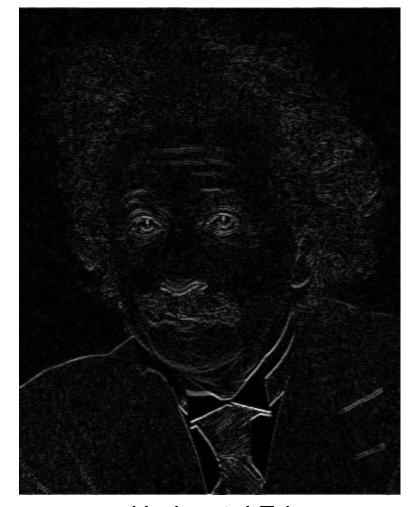
Vertical Edge (absolute value)

Other filters



1	2	1
0	0	0
-1	-2	-1

Sobel



Horizontal Edge (absolute value)

Sobel operators are equivalent to 2D partial derivatives of the image

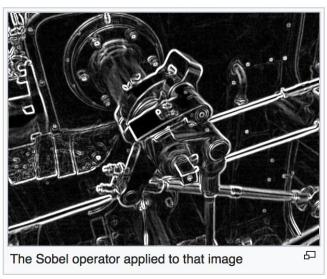
- Vertical sobel operator Partial derivative in X (width)
- Horizontal sobel operator Partial derivative in Y (height)

Can compute magnitude and phase at each location.

Useful for detecting edges

https://en.wikipedia.org/wiki/Sobel_operator





Sobel filters are (approximate) partial derivatives of the image

Let f(x,y) be your input image, then the partial derivative is:

$$\frac{\partial f(x,y)}{\partial x} = \lim_{h \to 0} \frac{f(x+h,y) - f(x,y)}{h}$$

Also:
$$\frac{\partial f(x,y)}{\partial x} = \lim_{h \to 0} \frac{f(x+h,y) - f(x-h,y)}{2h}$$

But digital images are not continuous, they are discrete

Let f[x, y] be your input image, then the partial derivative is:

$$\Delta_{x} f[x, y] = f[x + 1, y] - f[x, y]$$

Also:
$$\Delta_x f[x, y] = f[x + 1, y] - f[x - 1, y]$$

But digital images are not continuous, they are discrete

Let f[x, y] be your input image, then the partial derivative is:

Also:
$$\Delta_x f[x, y] = f[x + 1, y] - f[x - 1, y]$$
 $k(x, y) = \begin{bmatrix} -1 & 0 & 1 \end{bmatrix}$

Sobel Operators Smooth in Y and then Differentiate in X

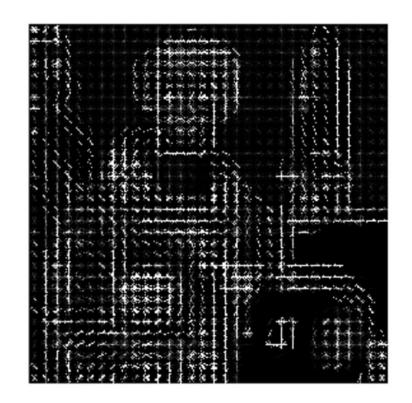
Similarly to differentiate in Y

Image Features: HoG

Input image

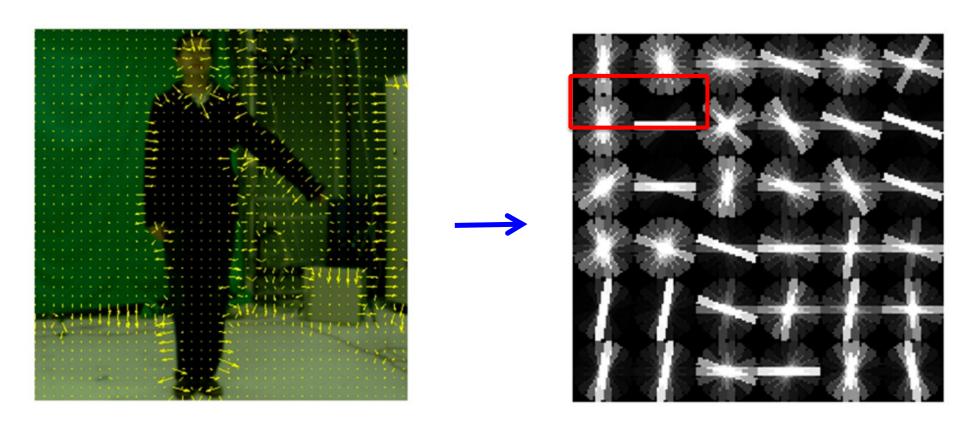


Histogram of Oriented Gradients



Paper by Navneet Dalal & Bill Triggs presented at CVPR 2005 for detecting people.

Image Features: HoG



+ Block Normalization

Paper by Navneet Dalal & Bill Triggs presented at CVPR 2005 for detecting people. Figure from Zhuolin Jiang, Zhe Lin, Larry S. Davis, ICCV 2009 for human action recognition.

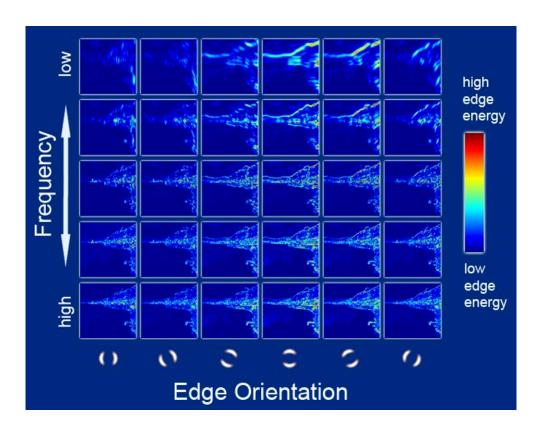
Image Features: GIST



The "gist" of a scene: Oliva & Torralba, 2001

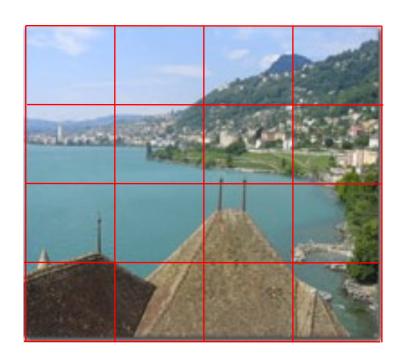
Image Features: GIST

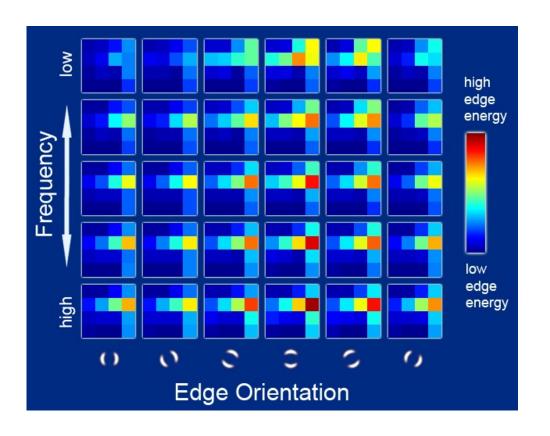




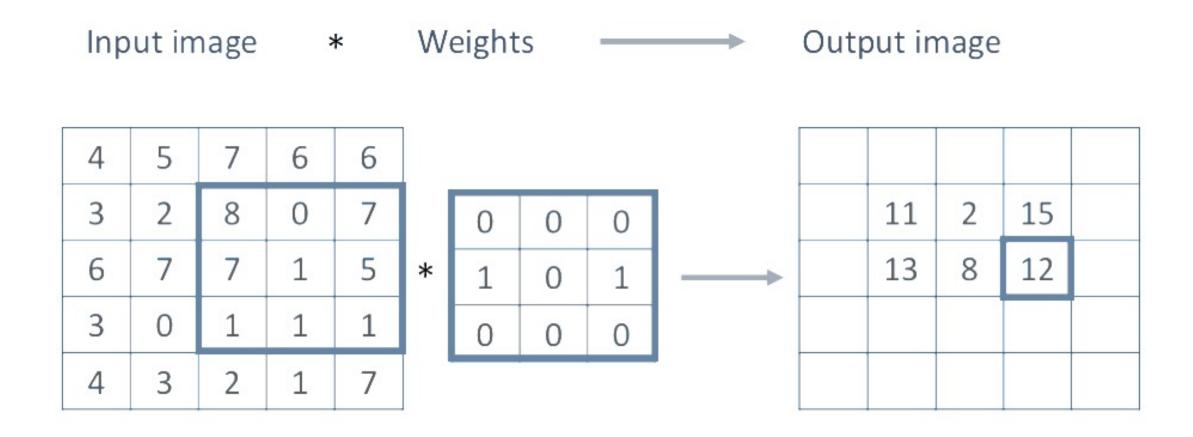
Oriented edge response at multiple scales (5 spatial scales, 6 edge orientations)

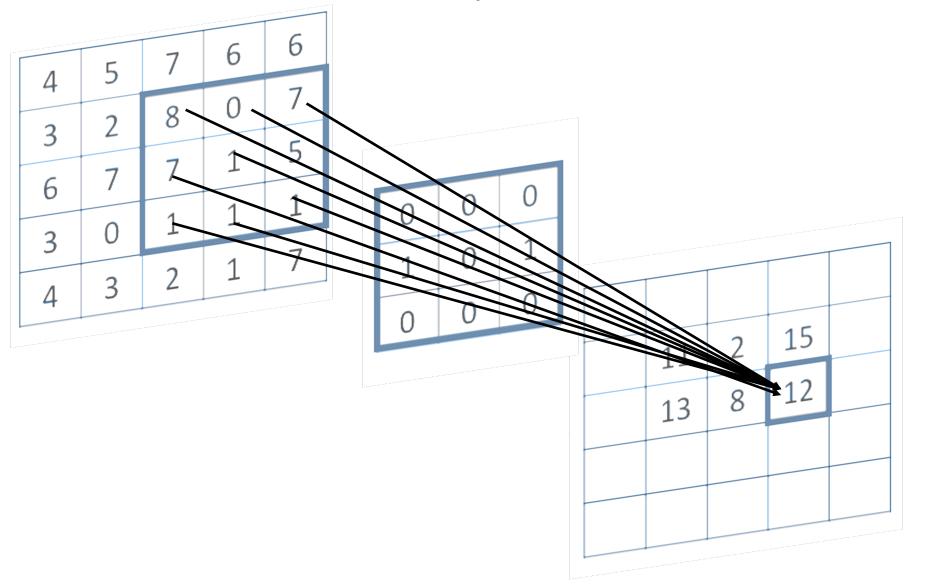
Image Features: GIST

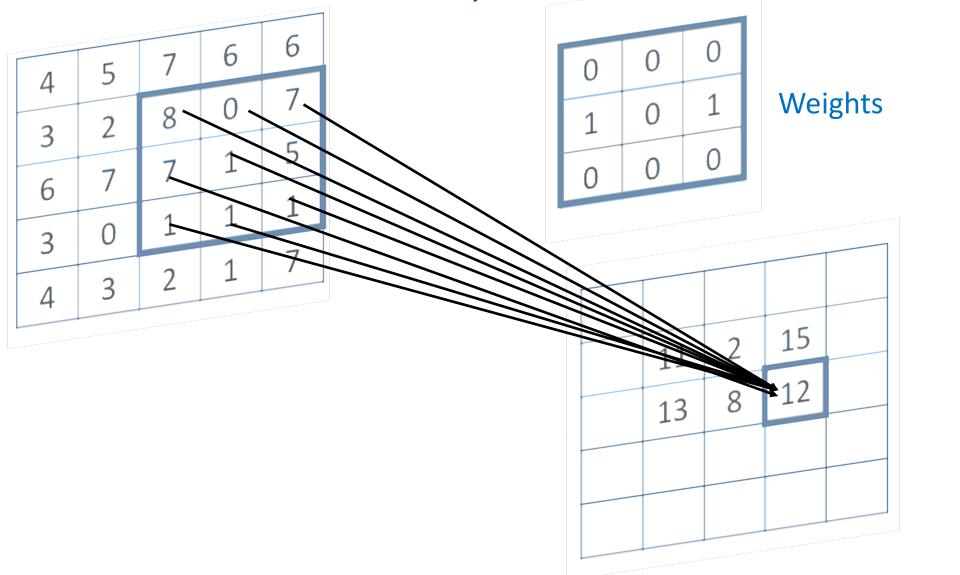


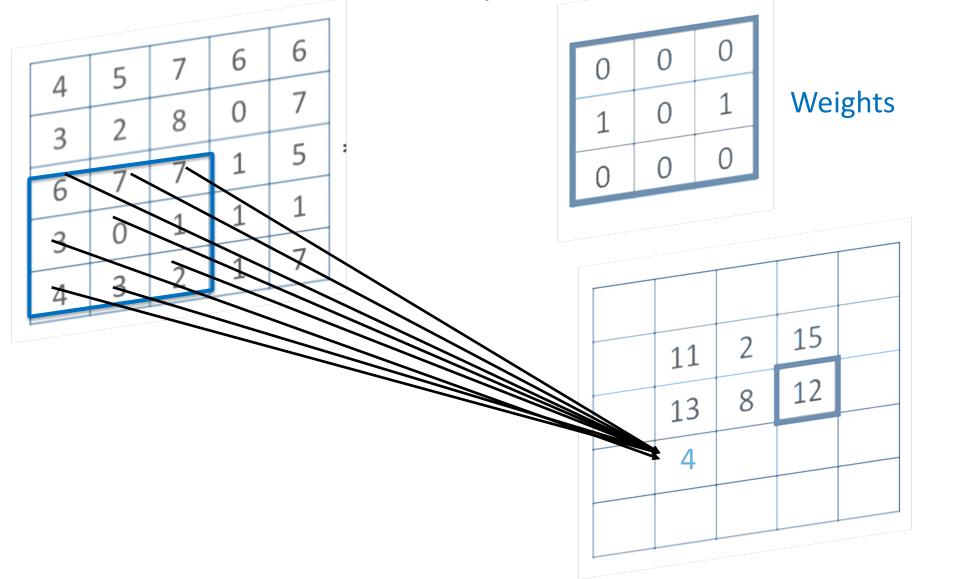


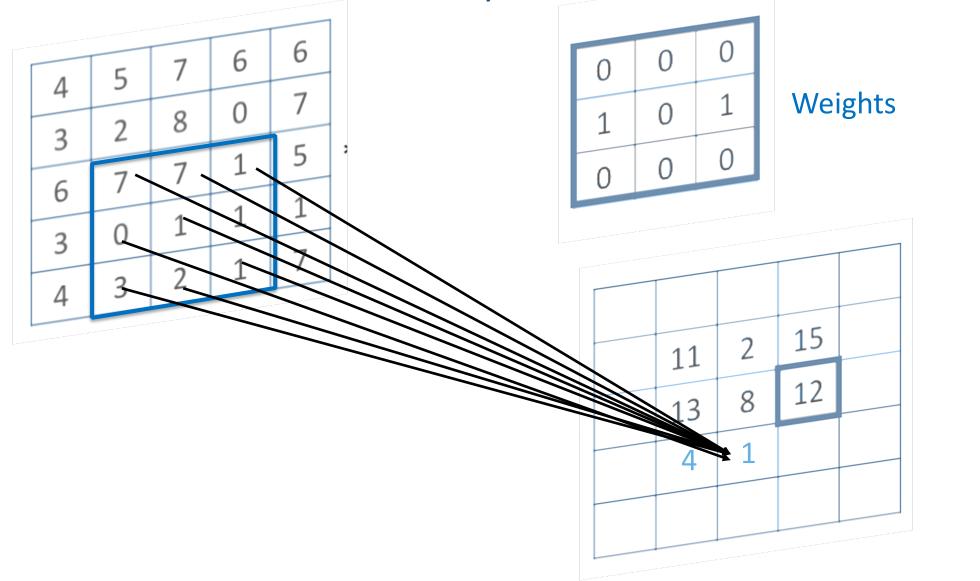
Aggregated edge responses over 4x4 windows



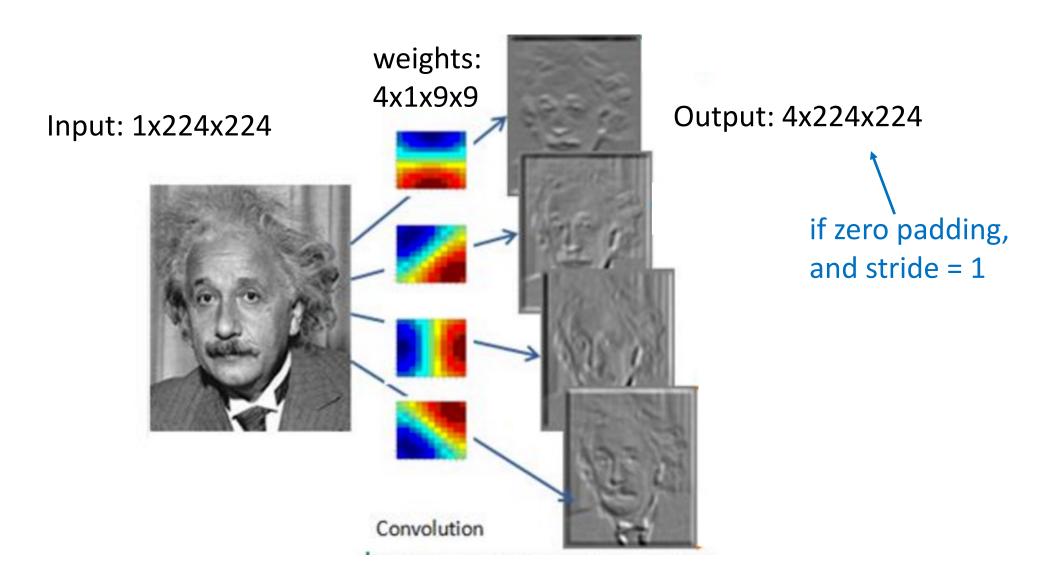




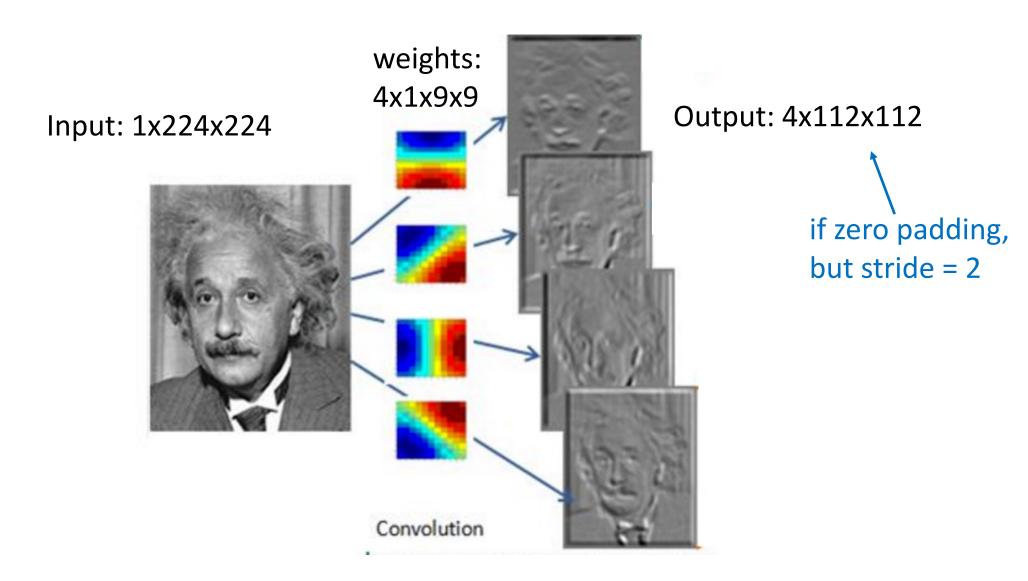




Convolutional Layer (with 4 filters)

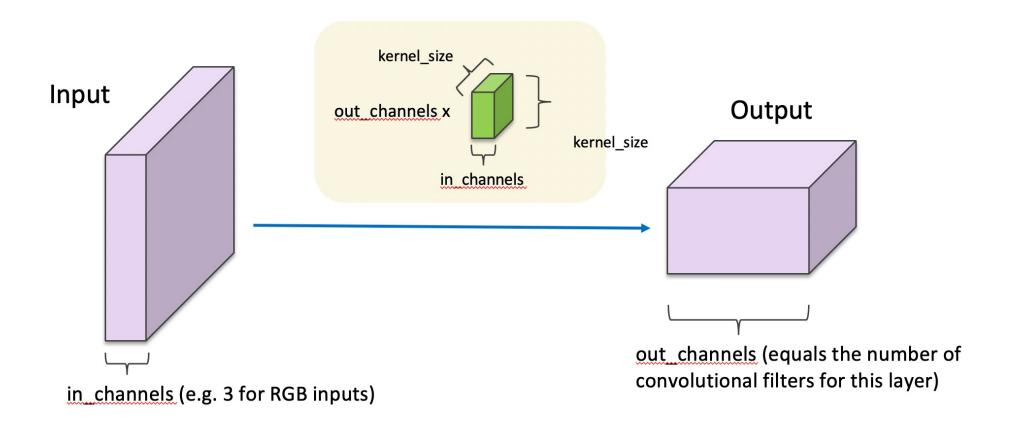


Convolutional Layer (with 4 filters)

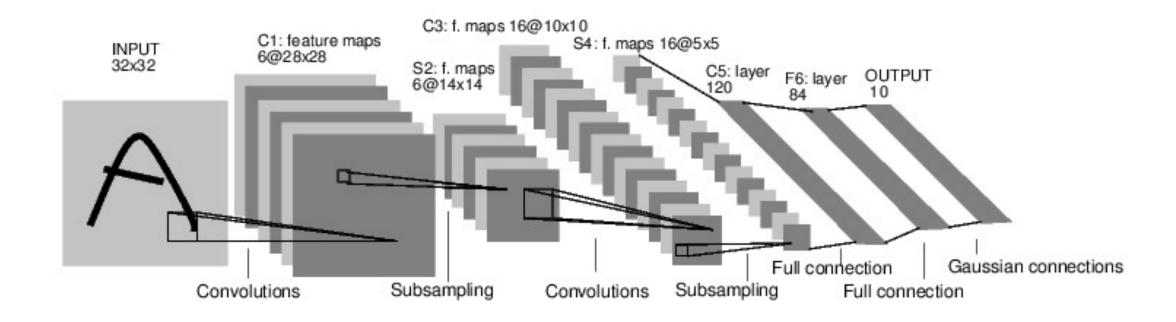


Convolutional Layer in pytorch

class torch.nn.Conv2d(in_channels, out_channels, kernel_size, stride=1, padding=0, dilation=1, groups=1, bias=True) [source]



Convolutional Network: LeNet





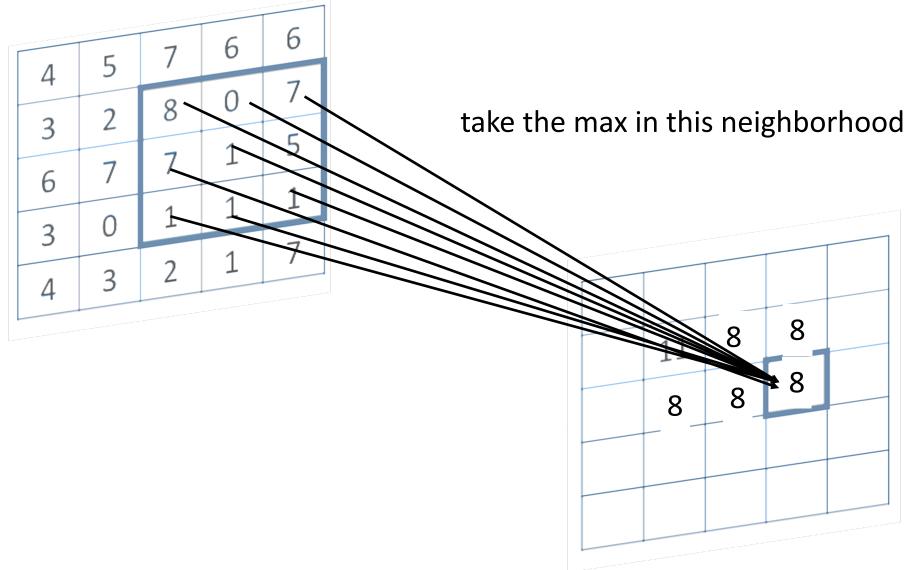
Proceedings of the IEEE 86 (11), 2278-2324

TITLE	CITED BY	YEAR
Gradient-based learning applied to document recognition Y LeCun, L Bottou, Y Bengio, P Haffner	11736	1998

LeNet in Pytorch

```
# LeNet is French for The Network, and is taken from Yann Lecun's 98 paper
# on digit classification http://yann.lecun.com/exdb/lenet/
# This was also a network with just two convolutional layers.
class LeNet(nn.Module):
   def init (self):
        super(LeNet, self). init ()
        # Convolutional layers.
        self.conv1 = nn.Conv2d(3, 6, 5)
        self.conv2 = nn.Conv2d(6, 16, 5)
       # Linear layers.
        self.fc1 = nn.Linear(16*5*5, 120)
        self.fc2 = nn.Linear(120, 84)
        self.fc3 = nn.Linear(84, 10)
   def forward(self, x):
       out = F.relu(self.conv1(x))
       out = F.max pool2d(out, 2)
       out = F.relu(self.conv2(out))
       out = F.max pool2d(out, 2)
        # This flattens the output of the previous layer into a vector.
       out = out.view(out.size(0), -1)
       out = F.relu(self.fcl(out))
       out = F.relu(self.fc2(out))
       out = self.fc3(out)
        return out
```

SpatialMaxPooling Layer



LeNet Summary

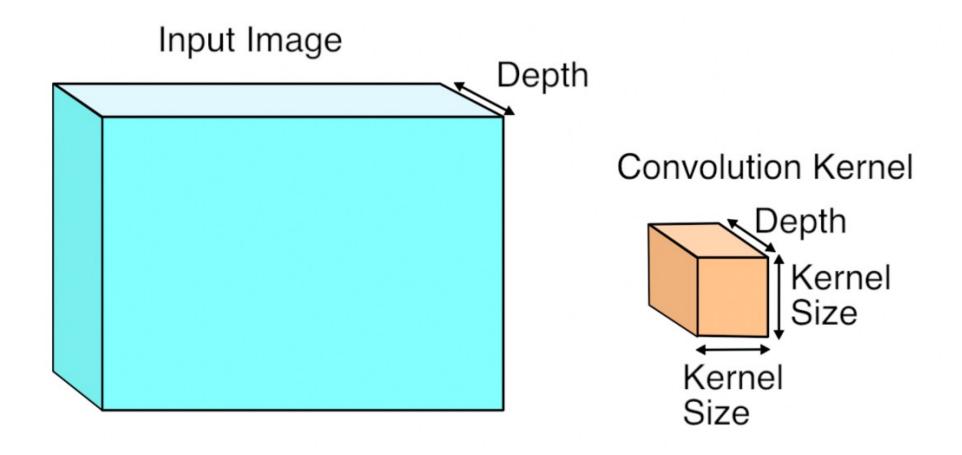
• 2 Convolutional Layers + 3 Linear Layers

- + Non-linear functions: ReLUs or Sigmoids
 - + Max-pooling operations

New Architectures Proposed

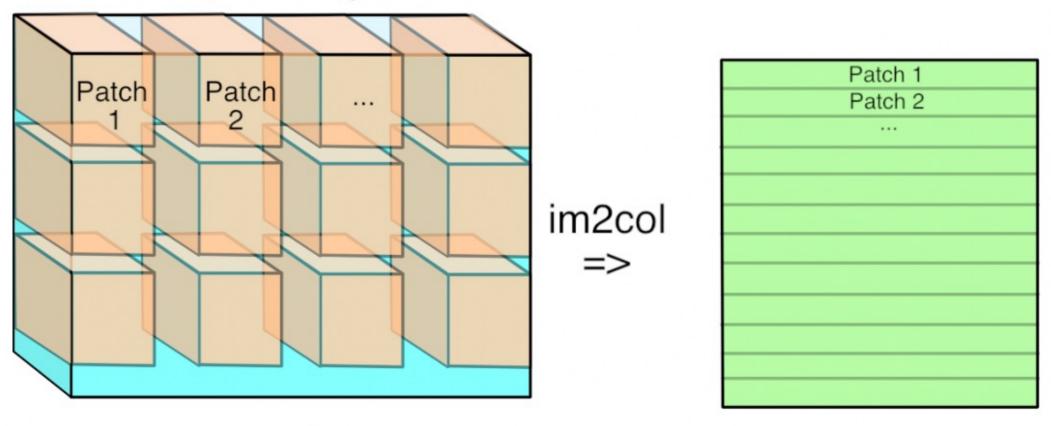
- Alexnet (Kriszhevsky et al NIPS 2012) [Required Reading]
- VGG (Simonyan and Zisserman 2014)
- GoogLeNet (Szegedy et al CVPR 2015)
- ResNet (He et al CVPR 2016)
- DenseNet (Huang et al CVPR 2017)

Convolutional Layers as Matrix Multiplication

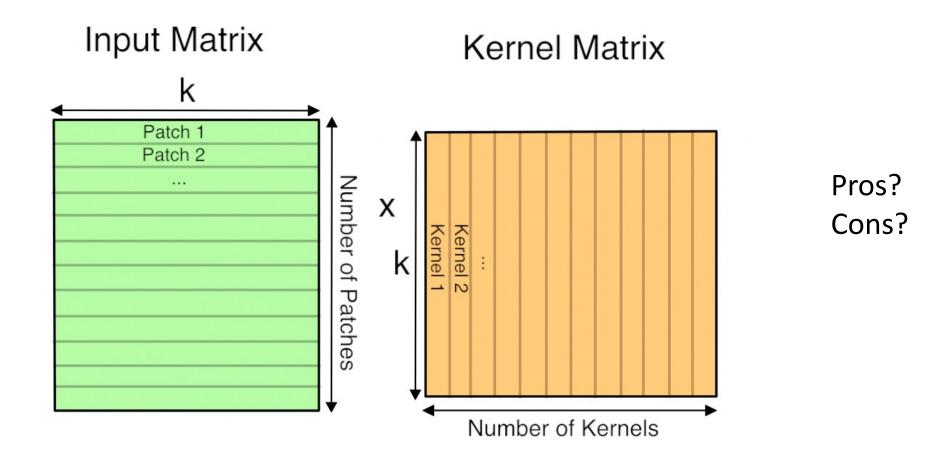


Convolutional Layers as Matrix Multiplication

Input Image



Convolutional Layers as Matrix Multiplication



CNN Computations are Computationally Expensive

- However highly parallelizable
- GPU Computing is used in practice
- CPU Computing in fact is prohibitive for training these models

The Alexnet network (Krizhevsky et al NIPS 2012)

ImageNet Classification with Deep Convolutional Neural Networks

Alex Krizhevsky University of Toronto

kriz@cs.utoronto.ca

Ilya Sutskever

University of Toronto

ilya@cs.utoronto.ca

Geoffrey E. Hinton

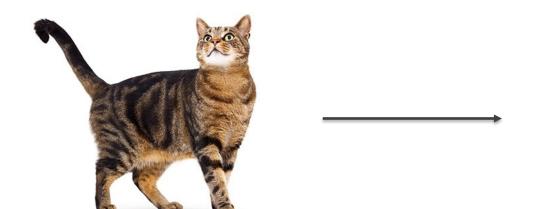
University of Toronto

hinton@cs.utoronto.ca

The Problem: Classification

Classify an image into 1000 possible classes:

e.g. Abyssinian cat, Bulldog, French Terrier, Cormorant, Chickadee, red fox, banjo, barbell, hourglass, knot, maze, viaduct, etc.



cat, tabby cat (0.71) Egyptian cat (0.22) red fox (0.11)

• • • • •

The Data: ILSVRC

Imagenet Large Scale Visual Recognition Challenge (ILSVRC): Annual Competition

1000 Categories

~1000 training images per Category

~1 million images in total for training

~50k images for validation

Only images released for the test set but no annotations, evaluation is performed centrally by the organizers (max 2 per week)

The Evaluation Metric: Top K-error

True label: Abyssinian cat

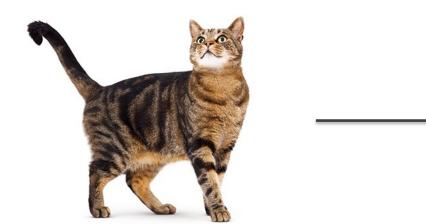
Top-1 error: 1.0 Top-1 accuracy: 0.0

Top-2 error: 1.0 Top-2 accuracy: 0.0

Top-3 error: 1.0 Top-3 accuracy: 0.0

Top-4 error: 0.0 Top-4 accuracy: 1.0

Top-5 error: 0.0 Top-5 accuracy: 1.0



cat, tabby cat (0.61)

Egyptian cat (0.22)

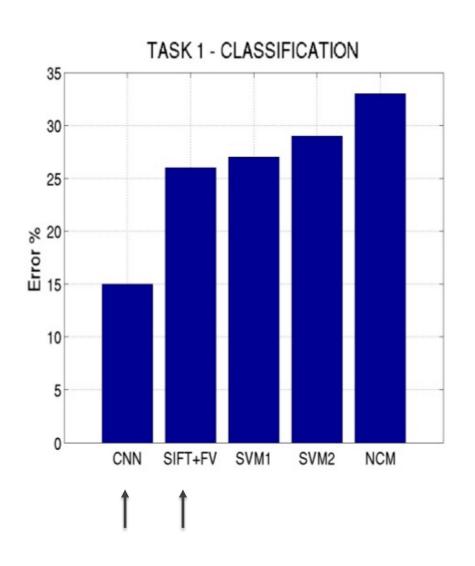
red fox (0.11)

Abyssinian cat (0.10)

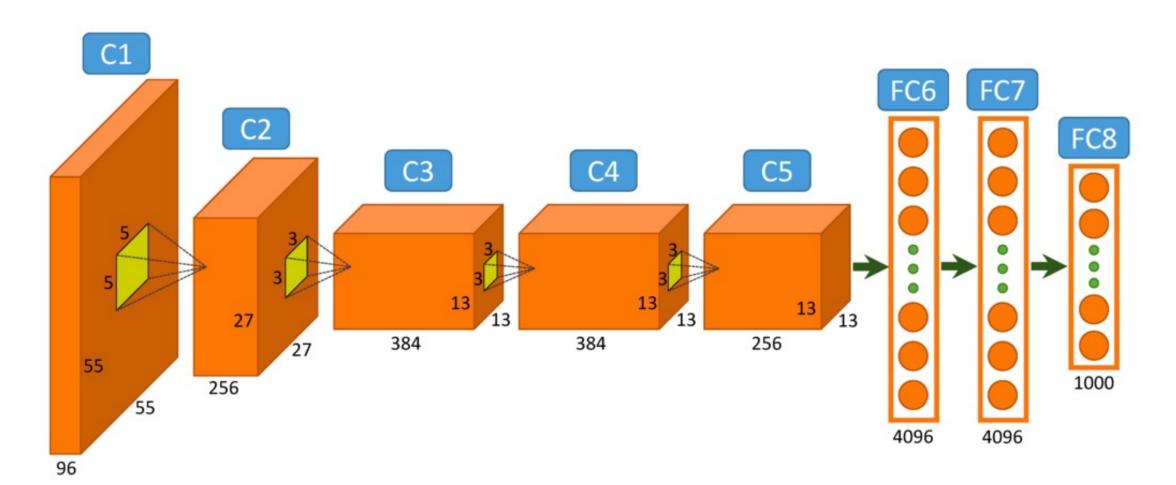
French terrier (0.03)

• • • • •

Top-5 error on this competition (2012)



Alexnet

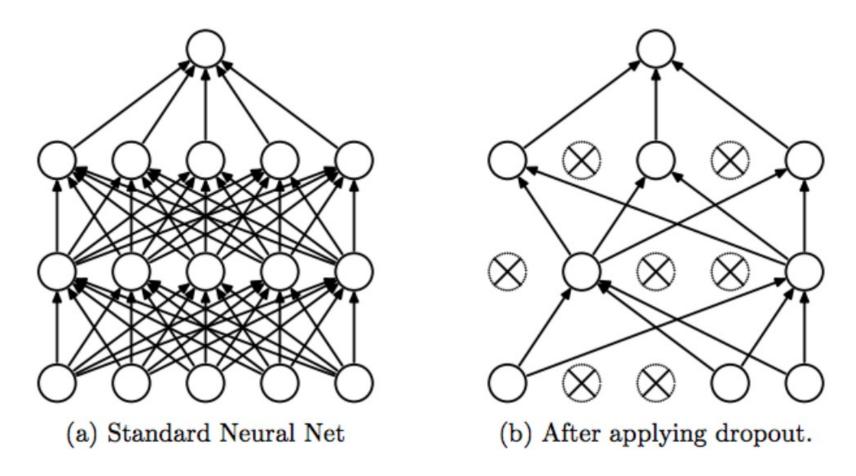


Pytorch Code for Alexnet

In-class analysis

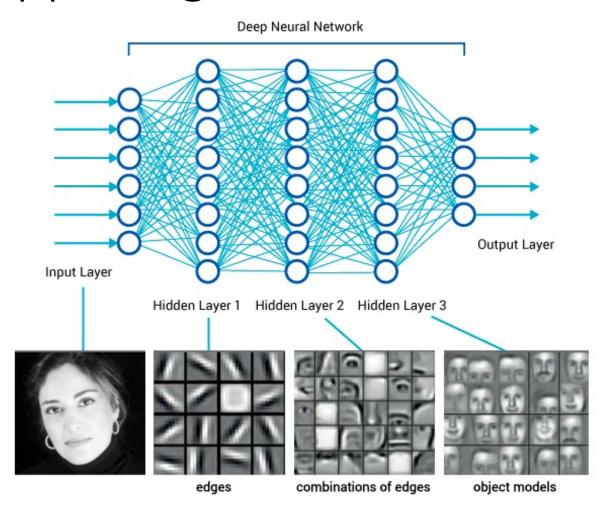
https://github.com/pytorch/vision/blob/master/torchvision/models/alexnet.py

Dropout Layer

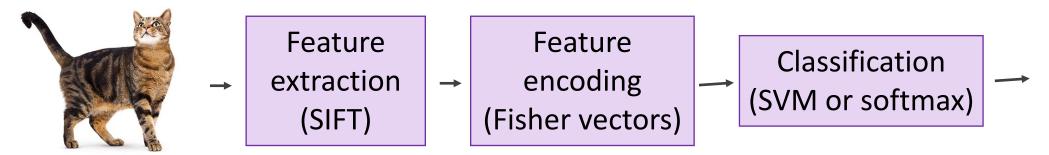


Srivastava et al 2014

What is happening?



SIFT + FV + SVM (or softmax)

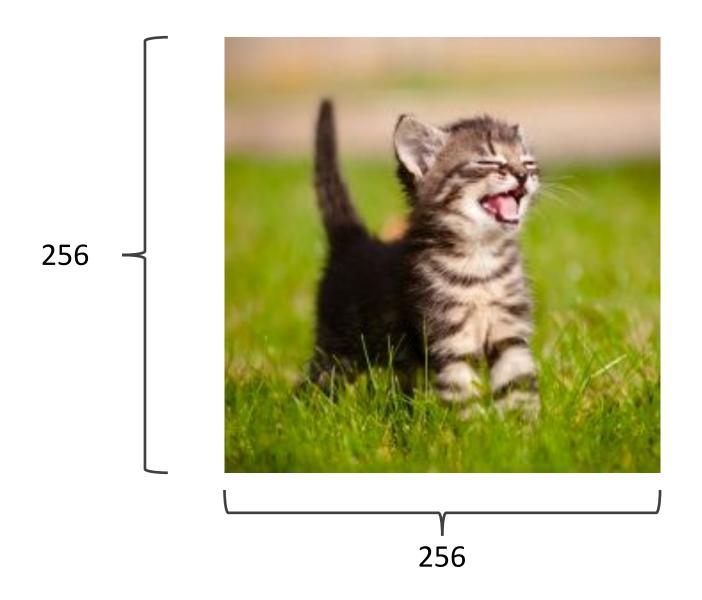


Deep Learning



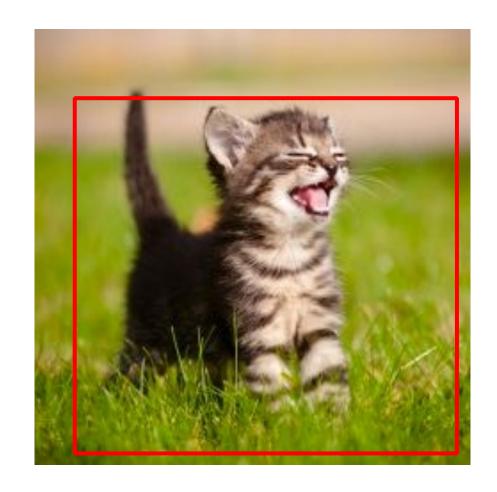
Convolutional Network (includes both feature extraction and classifier)







224x224



224x224











True label: Abyssinian cat

Other Important Aspects

- Using ReLUs instead of Sigmoid or Tanh
- Momentum + Weight Decay
- Dropout (Randomly sets Unit outputs to zero during training)
- GPU Computation!

Model	Top-1	Top-5
Sparse coding [2]	47.1%	28.2%
SIFT + FVs [24]	45.7%	25.7%
CNN	37.5%	17.0%